

328415(28)

B. E. (Fourth Semester) Examination,  
Nov.-Dec., 2007

(AEI, EI, Et and T Engg. Branch)

SIGNALS and SYSTEMS

*Time Allowed : Three hours*

*Maximum Marks : 80*

*Minimum Pass Marks : 28*

*Note : Part (a) of each unit is compulsory. Attempt any two parts from (b), (c) & (d). Answer should be brief and to the point. Unnecessary long answer may result in loss of marks.*

Unit-I

1. (a) Define linear time invariant system. 2
- (b) Check whether the following system is : 7
  - (i) Static or dynamic

| 2 |

- (ii) Linear or non-linear
- (iii) Causal or non-causal
- (iv) Time invariant or time variant

Given that :

$$y[n] = \sum_{k=-\infty}^{\infty} x[k]$$

(c) Sketch the following signals and calculate their energies :

(i)  $e^{-10t} u(t)$

(ii)  $u(t) - u(t-15)$

(d) Give the graphical and mathematical representation of following sequences :

- (i) Unit step sequence
- (ii) Unit ramp sequence
- (iii) Unit sample sequence
- (iv) Exponential sequence

**Unit-II**

2. (a) Define Fourier transform of a signal  $x(t)$ . What is the condition for existence of Fourier transform of signal  $x(t)$ .

328415(28)

| 3 |

(b) State and prove following properties of Fourier transform :

- (i) Linearity
- (ii) Time shifting
- (iii) Time scaling

(c) For the transfer function :

$$H(s) = \frac{s+10}{s^2+3s+2}$$

Find the response  $y(t)$  due to input  $x(t) = \sin 2t \cdot u(t)$

(d) For the continuous time periodic signal

$$x(t) = 2 + \cos\left(\frac{2\pi}{3}t\right) + 4\sin\left(\frac{5\pi}{3}t\right)$$

determine the fundamental frequency  $\Omega_0$  and fourier

series coefficient  $C_n$  such that  $x(t) = \sum_{n=-\infty}^{\infty} C_n e^{jn\Omega_0 t}$

**Unit-III**

- 3. (a) Define State of a system.
- (b) Find the state space representation of the following system whose differential equation representation is

328415(28)

PT